

The "Beer's Law" Of Mass Spectrometry, Again.

Andrew D. Sauter, Jr., Nanoliter LLC, 217 Garfield Drive, Henderson, NV 89074, USA, 702-896-5143, adsauterjr@gmail.com

John Chakel, Leco Corporation, San Mateo, CA, john_chakel@leco.com

Ross Willoughby, Chem Space Associates, 75 Chapel Ridge Place, Pittsburgh, PA, ross@lcms.com

Introduction

A few years ago one paper stated that there was no "Beer's Law" for mass spectrometry (MS) (1). In another recent editorial comment on MS research, it was forwarded that mass spectrometry was "not inherently quantitative (2)". Also, MS has been blamed for proteomics "lack of success at clinical biomarker implementation (3)". These statements are misunderstandings of the technology that must be corrected.

Here, for the first time for EI, CI, CID, ESI, MALDI and new techniques like DART, we show that with ionization processes that can be described as first ordered or pseudo-first ordered and Dalton's Law is obeyed, in fact, across many different ion analyzers, internal standard pairs, that equations for relative ion current (and sometimes absolute ion current measurements) are of a form that is analogous to Beer's Law for spectrophotometry. This analogy is used to explain why we observe linear calibration curves across techniques.

The objective of this poster is to show that, in fact, across many sample introduction, ionization, ion transmission and ion detection approaches that mass spectrometry is ALWAYS both quantitative and qualitative. In fact, for mass spectrometry, **qualitative and quantitative analysis are simply different parts of the same equations.**

$$I = I_0 \epsilon c d N$$
$$I = I_0 \sum_{i=1}^n a_i n_i + 0.943$$

Experimental

Selected conditions are given below. Please see the original publications for more detail.

EI data acquired with comm. available GC/QMS or GC/QQQ/MS. 70 eV/EI current was employed with ca. 1 sec scan times (45 to 4500 amu) using 30 m using the carrier @ 1 mL/min ca. 30, m, 0.32 mm, 20-260C @ min FSC. Interlab pairs used up to 10 different GC/QMS systems.

For CI, i.e., PPNIC GC/MS Finnigan 4023 data. Scan time was for negative ion 0.333 sec from 30-435 amu and 0.333 sec from 45-450 amu. Methane CI gas at 0.2 torr with a 240C source temperature. Internal standard was anthracene-d10 for HCB with FSCC 30 m SE 30, splitless inj., He @ 1 mL/min, 35C, 2 min-265C @ 10/min, 265C 10 min.

For CID, Todd and McLafferty's data, a Hitachi RMH-Z high resolution MS-I followed by a special collision region and an electrostatic analyzer, MS-II. A 9.8 keV ion accelerating voltage was used which had optimal acceleration up to 25 keV. See the publication for more details.

For our ESILC/MS work cited, we employed a 250 x 2.1 mm id 3 μm 120AYMC ODS-AQ column with a 400 mM HFIP pH 7.0, D = 50%, MeOH 400 mM HFIP pH 7.0, 30 to 60 μm/min, 10 to 200 μm with column temp at 50C using an HPQMS from 400-1000 amu/sec.

For T. Tu's MALDI work, an ABI 4700 TFP with a Nd:YAG laser (355 nm, 3 to 7 ns pulses) operating in the positive ion reflectron mode with Vac at 20 kV with the laser operated at fixed fluence ca. 5% above ionization threshold at 200 Hz, set to uniform. Each spot was obtained from 1000 laser shots (40 subshots in positions, 25 shots/subspot) and averaged for one smoothed spec. nL spots were made using a nL Cool Wave System I nanoliter. Bradynkin CHCA and the ILM of Bu-CHCA were employed in this work for nL and ul. depositions.

DART TOP/MS data: 60-900 amu/sec, RF Ion guide 600x, 30v,5v,5v for orifice1,2 and ring lens. nL droplets from a Cool wave device were shot directly into the 400 u orifice with the systems resolving power set at 6000. (FV/HM).

Beer's Law, Spectrophotometry, $A = \epsilon bc$

70eV/EI GC/QMS MS RF Analogy $I_{(m/z)} = F_i \epsilon_i Q_i T_i N_i$

where ϵ is an energy term, as is Q the relative ionization cross section for 70 eV/EI/QMS.

In Kiser's classic book entitled: An Introduction To Mass Spectrometry And Its Applications (4), the partial, core of the "Beer's Law" for mass spectrometry for electron impact (EI) ionization in transmission MS systems was given. Kiser, providing basic relationships for EI mass spectrometry for BMS systems, as he cited the importance of Dalton's Law.

Kiser wrote that for the pseudo-first ordered process below that for the jh component, of a primary species that is constant in m/z, the ion current (I) was directly related to pressure, $I_j = I_j^0 \sum_{i=1}^n a_i n_i + 0.943$

assuming the process and constant 70 eV, EI source conditions for

$$M + e^- \rightarrow M^+ + 2e^-$$

where i is the relative abundance of the peak, i in a question, which we refer to later in this poster as f_i , the fractional ion abundance, the percentage of ion current of one m/z value of the total ion current.

Without saying such, the assumption was that ionization was described by a pseudo-first ordered process, implying the core relationship that "sensitivity" is in this case formally **current per unit pressure**, an often forgotten core tenet of MS for linear systems.

In the book, however, Kiser's representation was incomplete. For example, as to ionization cross section estimates, the "additivity approach" of Ovos and Stevenson was cited (5), but the book reference only addressed compounds containing carbon and hydrogen. There were other short comings and no interlaboratory data to support this approach. Nevertheless, the exponential model reflected the state of the art in 1965 and it remains an recommended read to this date. It can be purchased from ASMS.

EI

70 eV/Electron Impact GC/MS Relative Ion Current Measurements

In attempting to understand and use 70 eV, EI response factors (which are relative ion current measurements for an analyte and an internal standard at equal injected weights) in the national implementation of GC/MS for the multivariate environmental monitoring of GC/MS data quality, we recognized this shortcoming. Since few Q values were available at that time, we devised a way to calculate them. It has been shown that the following equation is valid for many molecules for a wide range of conditions.

$$I_i = Q_i \epsilon_i d N$$

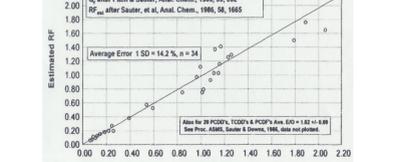
where I_i is the total ion current, I_0 is the ionizing electron current, d is the ionizing path length and N is the concentration of molecules in the source. In 1983, we demonstrated that the additivity approach of Ovos and Stevenson (5) could be applied to estimate relative EI cross section of compounds containing C,H,N,O,S, F, Cl, Br, I and D atoms to 4.6% in one SD for 179 small molecules using the following equation given below (6).

$$I = I_0 \sum_{i=1}^n a_i n_i + 0.943$$

Then in 1986, using this approach for ion creation, we derived from first principles and showed for the first time that one specific approach that could estimate relative RF values for molecules under going 70eV, EI with GC sample introduction for QMS. The approach was shown to be accurate to ca. 9 to 14 percent at 1 SD (7,8) for two groups of aromatic analytes, as plotted in the graph below.

It was also shown in this period that relative responses for ca. 100 small molecules undergoing internal standard quantification on instruments with different Q analyzers and between as many as ten different labs that the relative response for 100 analytes referred to as "semivolatiles" were statistically identical or numerically "similar" (9,10,11,12)

Observed vs Estimated Electron Impact GC/MS Response Factors For PCB's/PNA's & Other Halogenated Aromatic Species



Beer's Law Analogy

After some time we came to realize that our model to estimate EI response values was similar to Beer's Law where there was an energy term, a path length or transmission time and a molar or concentration term, multiplied by a fraction. That is,.....

$$A = \epsilon bc$$
$$I_{(m/z)} = F_i \epsilon_i Q_i T_i N_i$$

where ϵ is an energy term, as is Q the relative ionization cross section for 70 eV/EI/QMS.

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CI & CID

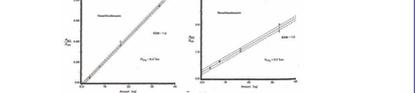
Chemical Ionization (CI) GC/QMS Relative Simultaneous Positive and Negative Ion Current Measurements

Similarly, we, as have many others, published linear calibration curves for small molecules undergoing the classic technique of positive ion, negative ion chemical ionization (PPNIC) in internal standard analysis (13). In one paper, linear calibration curves for molecules were observed for both the protonated positive ions (MH+ and M+ ions of the same compound in the source at the same time. Hence, for resonance capture and for protonation by methane where M was hexachlorobenzene, linear calibration curves shown below were acquired for simultaneous, but different processes, although not without limits, as discussed in that paper.



In that effort, we addressed fundamentals and employed a Langevin treatment which neglects the polarity of the molecule and quadrupole contributions of the molecule and where the electron is treated as a point charge, to estimate relative sensitivities of negative to positive ions. This simple treatment yielded an estimated negative ion to positive ion sensitivities or up to 160 where in practice for HCB it is observed as roughly a factor of 20.

Nevertheless, in the cited reference, Kobarle re-published a linear calibration curve for Morphine HC's (MH+) corrected for ion transmission, for a system with one analyte showing that ion current can be proportional to concentration and ion transmission and namely that



Our EI analogy is directly supported by Kobarle, as the protonated parent is the only ion, hence $F = 1.0$ and N is the proportionality constant.

In another ESI example, for a solution with equal concentrations of tetrabutylalkyl ammonium halide and cocaine, near identical sensitivities were observed for their protonated molecular ions until high concentrations. Hence, for ESI for simple molecules, Kobarle and Verkerk showed linear calibration curves where ion currents and rate constants were related as given below.

$$I_{(M+H+)} = k_{p0} T_{(M+H+)} N_{(M+H+)} = k_{CoH} T_{(CoH+)} N_{(CoH+)}$$
$$I_{(M-)} = m_i N_i$$
$$I_{(M)} = m_i N_i$$

As m depends directly on F and T per our EI analogy, the relative ion current can be written as...

$$I_{(M+H+)} = F_i k_{p0} T_i N_i$$
$$I_{(M-)} = F_i k_i T_i N_i$$

k_i can be determined experimentally.

In Kiser's classic book, the qualitative and quantitative powers of MS to study the reaction rates, was shown along with instrument issues e.g., ion source residence time (τ) for magnetic sector mass spectrometers of that time, where

$$\tau = (2dm/eE)^2$$
$$d$$
 is the distance from the electron beam to the exit slit for an ion of mass m , and e the electronic charge with E the field applied to the source. Kiser gives the rate constant for ion molecule reactions that, of course, have no activation energy as

$$k_i = q Q_{ci}$$
$$Q_{ci}$$
 is the speed of the ion and Q_{ci} is the chemical ionization reaction cross section.

As such, instrumental and fundamentals such as CI reaction rates can be studied as Kiser showed for even bimolecular reactions, clearly a qualitative and a quantitative MS task.

Collision Induced Dissociation

The total collision cross section, σ_c , was derived in 1981 by Todd and McLafferty (14).

$$I_{(m/z)} = \exp(-\sigma_c n) \text{ or } \ln(I_{(m/z)}) = -\sigma_c n P$$

where n is the number density, k is a constant and P is the target gas pressure where I and l_0 are the intensities of the ion beam with and without collisions, the Beer's Law analogy being obvious.

Interestingly, for cross sections, in 1985, Roussis showed that our previously cited approach for the estimation of relative collision cross section of electrons and molecules (6), could be employed to correlate the kV collision of ions with gas molecules. He then derived a similar, but improved expression, for the collision of ions and molecules in the kV range on a double focusing sector MS system (15). Here, the structure of the ion is ignored and the additivity principle is applied to the van der Waals radii, r_i , where ϵ_i is the summation of the atomic van der Waals radii (ave. error = 5.2%, n = 53 ions)

$$\sigma_c = 0.097 + 0.849 \sum \epsilon_i$$

To summarize Roussis and our work whose form is "similar" for 70 eV/EI electrons with molecules and for kV collisions for molecules with ions under constant ionization conditions in the energy ranges and instruments reported where scattering is minimal..... the larger the molecule, the larger the collision cross section and hence the more product ions. This is observed in direct relationship to the number of constituent atoms which correlates with their bond lengths, or roughly by the size of the molecule in agreement with hard sphere collision theory.

We note here; however, that for macromolecules that have extensive higher ordered structure, more complicated than simple linear structures, we have noted, also, here for a B/E instrument, equations for ion production in an absolute sense show a Beer's Law analogy too.

ESI

Electrospray Ionization

In 2009, Kobarle and Verkerk published an updated version of an old paper, "Electrospray: From Ions In Solution To Ions In The Gas Phase, What We Know Now". Old ideas are presented as are newer ones and we quote heavily from it below (16).

The fundamental papers on the charge residue model of Dole from 1968 (17) and the 1967 ion evaporation model (IEM) of Iribarne and Thomson (18) have been employed to describe the mechanism of formation of gas phase ions from charged drops in light of much work including that of Enke (19).

According to the Kobarle and Verkerk, the state of discussion here is that the IEM is supported for organic ions, but the CRM is more plausible for macromolecular species (16). That stated, Gross (20) favors a sequential IEM to CRM model and de la Mora (21), Samannikova and Grandori (22) have established position as well, some being significant still (23). It is not our intent of this presentation to resolve the intricacies of ESI. Rather, we present data that further supports our analogy and that hopefully informs on the power and the limitations of ESI.

So fundamental ionization issues notwithstanding, linear ESI calibration curves can be routinely observed in practice for many systems. That stated, no technique and especially ESI can be linear over the 14 orders of magnitude of potential interest in discovery proteomics. Moreover, we note that despite the power of ESI, it is a 20 year old technique, that utilizes only a small amount of the sample. ESI is conductive and dispersive.

Nevertheless, in the cited reference, Kobarle re-published a linear calibration curve for Morphine HC's (MH+) corrected for ion transmission, for a system with one analyte showing that ion current can be proportional to concentration and ion transmission and namely that

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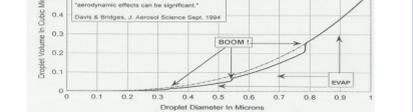
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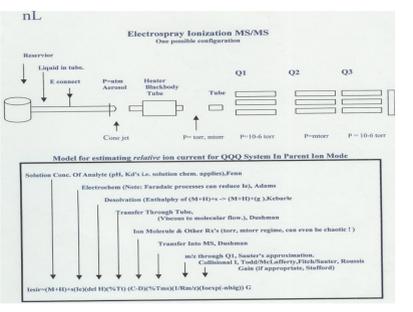
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ESI

ESI of Complicated Analytes and Samples

In an informal collaboration with Affymax, Agilent and Chem Space, we reported in March of 1997 the first model to attempt to estimate ion current produced in simple and complex situations (24). The model for one configuration of ESILC/MS/MS assumed that ESI was a combination of seven discrete processes citing work from Fenn, Adams, Kobarle, Dushman, Sauter, Todd and McLafferty, Roussis and Stafford. We proposed a relative response approach outlined below, but do not explain there due to space considerations.



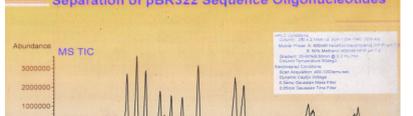
Below, we present an example of a more complicated analysis, the ESI analysis of pBR322. We show TIC for the separation of the various oligonucleotides by ESILC/MS and LC/UV. Note the higher oligomers on the ESI data are much less intense than in the LC/UV data. Clearly, some process altered the relative molar relationships in this sample when it was analyzed by ESI as compared to analysis by LC/UV. The spectrum of the 20 mer has many highly aducted species including species like (M+3K+Na+).

We note here that if one is studying complicated ions in complex samples of biological origin, at low levels, as we often are in discovery proteomics, there is no doubt that the ESILC/MS/MS methods for complicated analytes could be challenged. In certain situations ion formation may be impacted by the concentration of alkali metals and other molecules or solution parameters in the sample. Ionization variations due to solution concentrations and other variables (e.g., solvent programming) could be extremely problematic in looking for low level disease biomarkers for complicated analytes; hence quality control checks are required to understand ion current production in samples.

One potential value of our Beer's Law analogy is that one could test and compare results for different oligomers to standards (internally or externally) or through the running of sample dilutions. Such comparisons knowledgeably applied, should prove that a system is linear or alert one to analytical problems that compromise ESILC/MS/MS sample results in proteomics and elsewhere just as they can in spectrophotometry.

We believe that the reported nL-IBF depositions gave greater sensitivity than nL depositions due to the increased spatial concentration of the analyte, the excellent IBF based morphology which may be due to the fact that crystallization can start from the surface or in the plume, can be studied by varying k_i . This is stated as we recognize that the use of relative ion current can mask insights into fundamental processes, as it improves the data analytically.

Similarly, excellent, very useful MALDI results can be obtained for the analysis and accurate characterization of polypeptide mass distributions as are functionally ionized with ethyldipropyl and measured by MALDI TOF (37). In their derivation, it was proposed that in the "linear range of target concentration vs signal intensity for each oligomer (designated 1 = 2, 3) then the intensity, I , is related as shown, where k_i converts number of oligomers in the sample n_i into a signal intensity.



If we used an internal standard, analyte pair, for relative ion current we could write.....

$$I_i = k_i N_i \text{ or } I_i = F_i \epsilon_i Q_i T_i N_i$$

where the P values are the linear least square regression statistics for adjacent ion current sequences where minima are employed to evaluate P . Using this approach, in spline function corrected binned ion current profiles, we found that if one collects those binned intensity values that occur more than once, that distribution was associated with noise. That is, after spline function background correction to "flatten" ion current chemical noise we found that..... noise are those intensity values that occur frequently!

We then iteratively found that the 99th percentile of the spline function corrected, frequency filtered distribution provided a boundary that agreed with human judgment on peak integration. The beauty of this approach was if the noise was Gaussian it was exactly at 3 sigma above the mean noise intensity, alternatively if the data was distributed otherwise, we were able to integrate the peaks producing "areas" in agreement with human judgment with ONE a data adaptive approach irrespective of whether the noise was distributed in Gaussian, non-Gaussian manner or in mixtures thereof. Therefore, Signal intensities $\geq 1(\text{mean}) + 3SD$ for gaussian data or more universally

Signal intensities ≥ 2.99 percentile BG corrected, frequency filtered ion current values.

Accurate Peak Profiles, Peak Picking

After background subtraction, one can then apply peak pickers to the data to detect peaks, the simplest being shown below with typically n , co-maximizing required for a "detection."

Finally, a very important point. We assume here that our data acquisition rates are adequate to accurately reflect the solution concentration of dynamically changing column effluents. We assume that we sample at greater than one internal or external (labeled) standard. Two papers by Stafford and Smith can help us understand how current produced vs m/z varies with continuous dynode electron multipliers and for microchannel plate detectors (41, 42). It is interesting to note that for example, for EI GC/QMS systems reported here, as the molecule gets larger, we anticipate more ion current/mole. However, ion transmission (7) and (40, 41) detector sensitivity decreases with larger, slower ions. Hence, these competing factors confound attempts to understand ion current production as it related to first principles. Also, the fact that devices can be contaminated in use can reduce the effective potentials and hence the amount of an ion packet sampled and ultimately detected allows even complicated MS analysis.

In early, hyphenated/MS, this was almost never the case for too many reasons to list. Today, many attempt a similar situation can arise when too many MRMs are attempted per eluting peak which can result in poor statistics and very significant quantitative error.

Ion Current Detection

Most of what we have discussed here we have presumed that an internal standard or labeled analogue (a special case of an internal standard) was present which would correct for differences on the ion current detected for an analyte and an internal or external standard. Two papers by Stafford and Smith can help us understand how current produced vs m/z varies with continuous dynode electron multipliers and for microchannel plate detectors (41, 42). It is interesting to note that for example, for EI GC/QMS systems reported here, as the molecule gets larger, we anticipate more ion current/mole. However, ion transmission (7) and (40, 41) detector sensitivity decreases with larger, slower ions. Hence, these competing factors confound attempts to understand ion current production as it related to first principles. Also, the fact that devices can be contaminated in use can reduce the effective potentials and hence the amount of an ion packet sampled and ultimately detected allows even complicated MS analysis.

Finally, most of this has been said before. Given (1,2,3), it is obviously worth restating some fundamentals of MS. That noted, this is the first time to our knowledge, that this Beer's Law analogy has been proposed and discussed after EI, CI, CID, ESI, MALDI and new techniques like DART for Q, QQ, BE, TOF and yet to be invented MS ionization and analyzing systems.

We continue to evolve this work and to articulate these relationships. We look to collaborate with interested parties.

MALDI

MALDI TOP/MS And derivatives such as LCMALDI are also extremely complicated experiments where samples are deposited with or without separation, evaporated, blasted with a laser without ion containment and subsequently mass analyzed. An incomplete list of authors publishing on MALDI fundamentals would include Knochenmuss (25, 26), Dresseder (27), Karas (28) and Hillenkamp (29) and others to whom we apologize. All show MALDI to be an extremely complicated process. Recently, Knochenmuss concluded that the "dynamic aspects of MALDI cannot be neglected" (26). The excellent fast photography poster presented at ASMS 2009 by King Fan and K. Murray (30), MALDI ablation can produce a mushroom cloud of analyte/matrix whose heterogeneity is visually apparent in the plume. Tissue MALDI and other MALDI experiments are more complicated from a sample preparation and ionization perspective than traditional MALDI experiments.

Moreover, the MALDI experiment is complicated by what is termed the "dried droplet method". Because it is impossible to accurately deposit low μ L volumes of liquids to liquid using traditional devices without significant volumetric and spatial placement error "coffee drop rings" or heterogeneous sample spots often result and complications exist. Using McCombie and Knochenmuss's estimation of laser surface heating shown below (31), we can consider what this means.

$$\Delta T = I \epsilon P_{e0} (1-r) / C_p \rho A \delta$$

Where ΔT is the temperature between the surface and some depth δ and where I is the incident laser pulse energy, r is the fraction reflected, with C_p the heat capacity, and ρ the sample density with A the irradiated area, we note that heterogeneous samples must yield different ion populations from different MALDI laser shots where the sample spot is irregular as ΔT is different. Such extremely simple, crucial aspects of sample preparation, dispensing and reproducible spatial sample placement have historically not been considered in fundamental papers. That stated, as shown by Tingting Tu, N. Gross et al, linear calibration curves can be obtained for (M+H)+ signals of analytes like Bradynkin when careful preparation techniques are used in positive ion reflectron mode for TOP/MS analysis using nL Bu CHCA(32).

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